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Basic Math Skills Supplement



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Basic Math Skills Supplement

	Supplement
	Objective Sheet
Unit Objective	After completing this unit, the student should be able to solve basic math problems and read English and metric rules. The student should demonstrate these competencies by completing the assignment sheets and by scoring a minimum of 85 percent on the Written Test.
Specific	After completing this unit, the student should be able to:
Objectives	 Match terms associated with math and measuring to their correct definitions.
	2. Match symbols used in math problems with their names.
	3. Label the place values of a whole number.
	4. Add whole numbers to solve problems.
	5. Add Whole Numbers. (Assignment Sheet 1)
	6. Subtract whole numbers to solve problems.
	7. Subtract Whole Numbers. (Assignment Sheet 2)
	8. Multiply whole numbers to solve problems.
	9. Multiply Whole Numbers. (Assignment Sheet 3)
	10. Divide whole numbers to solve problems.
	11. Divide Whole Numbers. (Assignment Sheet 4)
	12. Distinguish among types of fractions.
	13. Reduce fractions to lowest terms.
	14. Reduce Fractions to Lowest Terms. (Assignment Sheet 5)
	15. Convert fractions and mixed numbers.
	16. Convert Fractions and Mixed Numbers. (Assignment Sheet 6)
	17. Add fractions to solve problems.
	18. Add Fractions. (Assignment Sheet 7)
	19. Subtract fractions to solve problems.
	20. Subtract Fractions. (Assignment Sheet 8)

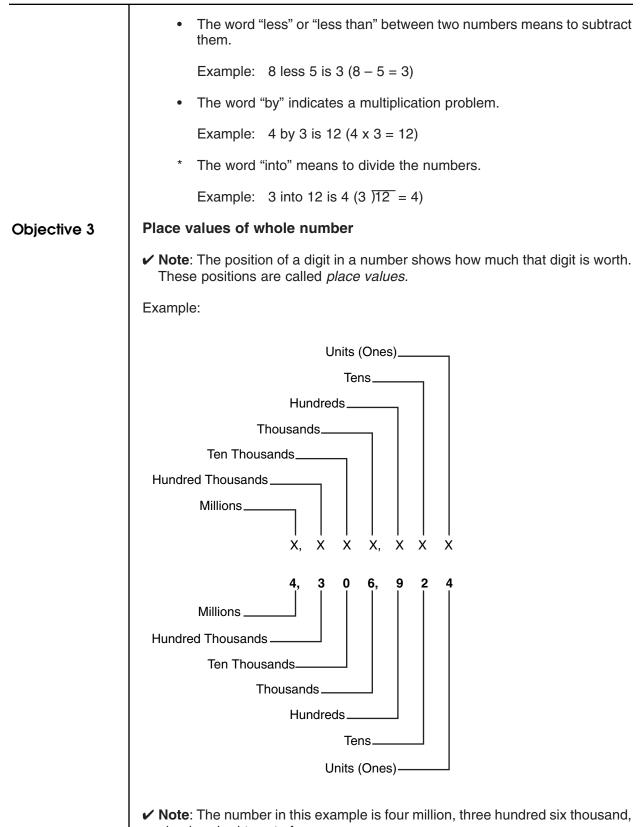
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21.	Multiply fractions to solve problems.
22.	Multiply Fractions. (Assignment Sheet 9)
23.	Label place values in a decimal number.
24.	Add decimal numbers to solve problems.
25.	Add Decimal Numbers. (Assignment Sheet 10)
26.	Subtract decimal numbers to solve problems.
27.	Subtract Decimal Numbers. (Assignment Sheet 11)
28.	Multiply decimal numbers to solve problems.
29.	Multiply Decimal Numbers. (Assignment Sheet 12)
30.	Divide decimals to solve problems.
31.	Divide Decimal Numbers. (Assignment Sheet 13)
32.	Convert decimal fractions to common fractions.
33.	Convert Fractions and Percentages. (Assignment Sheet 14)
34.	Solve percentage problems.
35.	Solve Percentage Problems. (Assignment Sheet 15)
36.	Match metric prefixes with their values.
37.	Solve problems about English-Metric conversion charts.
* Permis	ssion to duplicate this supplement is granted.

Basic Math Skills Supplement

	Supplement	
	Information Sheet	
Objective 1	Terms and definitions associated with math and measuring	
	a. Whole number (integer)—Any of the natural numbers, both positive and negative, that represents a complete item	
	Example: 25 is a whole number as opposed to ³ /4, a fraction or part of a whole.	
	b. Digit —Any one of the ten symbols, 0 to 9, by which all numbers can be expressed	
	c. Fraction—Part of a whole; represents one or more equal parts of a unit	
	Examples:	
	Figure 1 Figure 2	
	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	
	d. Decimal —Fraction with an unwritten denominator of 10 or some power of 10; indicated with a point before the number	
	Examples: $0.1 = \frac{1}{10}$ $0.06 = \frac{6}{100}$ $0.003 = \frac{3}{1000}$	
	e. Addition —Process of totaling two or more numbers to find another number called a sum	
	Examples: $3 + 5 + 9 = 17$	
	f. Subtraction—Opposite operation of addition	
	Examples: $8 - 4 = 4$ as apposed to $4 + 4 = 8$	
	 g. Multiplication—Abbreviated process of adding a number to itself a specified number of times 	
	Examples: $6 \times 3 = 18$ as apposed to $6 + 6 + 6 = 18$	

	h.	Division—Opposite operation	of multiplication
		Example: $16 \div 2 = 8$ as appo	sed to 8 x 2 = 16
	i.	Percent —One part in a hunded divided into one hundred parts	red; reckoned on the basis of a whole
	j.	Ratio —Relationship in quantity things	, amount, or size between two or more
	k.	Proportional—Being relatively	equal in size or quantity
		Example: 1:1:3 = 0.5:0.5:1.5	
	I.	Meter—Metric unit used to mea	asure length
	m.	Liter—Metric unit used to meas	sure capacity
Objective 2	Inter	pretations of symbols and wo	rds used in math problems
	a.	Symbols	
		Plus sign (addition)	+
		 Minus sign (subtraction) 	_
		Times sign (multiplication)	Х
		Division sign	÷
		Division frame)
		 Equal sign 	=
		Decimal point	
		Percent symbol	%
		 Ratio symbol 	:
		Pi symbol	π
	b.	Words	
		• The word "is" means "equals."	,
		Example: 3 + 5 is 8 (3 + 5 =	8)
		 The word "and" between two together. 	o numbers usually means to add them
		Example: 2 and 5 is 7 (2 + 5	= 7)



nine hundred twenty-four.

Objective 4	Adding whole numbers	
	a. Set up problem by writing units under the units place, tens under the tens place, and so on.	
	Example: Add whole numbers 1632, 17, 550.	
	1632 17 <u>+ 550</u>	
	b. Add each column separately, beginning at top of units column.	
	Example: 1632 1632 17 17 <u>+ 550 + 550</u> 9 99	
	c. If the sum of any column is two or more digits, write the units digit in your answer and carry the remaining digit(s) to the top of next column to the left.	
	Example: 1 - Carry remaining digit. 1632 1632 17 17	
	Write units $+ 550$ $+ 550$ digit \longrightarrow 199 199	
	d. Add any carried digit(s) above the column with that column.	
	Example: 1 Carried Digit 1632 17 <u>+ 550</u> 2199	
Objective 5	Add Whole Numbers. (Assignment Sheet 1)	
Objective 6	Subtracting whole numbers	
	a. Set up problem by writing units under the units place, tens under the tens place, and so on.	
	Note: Top number in the problem (original number} is almost always larger than the bottom number (subtracted number).	
	Example: Subtract 91 from 123.	
	123 Original Number <u>– 91</u> Subtracted Number	

	1		
	b.	Subtract each column separately, beginning at bottom of units colu	umn.
		Example: $123 \\ -91 \\ 2$	
	C.	If a digit in the subtracted number is larger than the digit above "borrow" 1 from the top digit in the next column to the left, decreas that digit by one and increasing the digit being subtracted by ten.	
		Example: 123 <u>- 91</u> 32	
	d.	If there is nothing to borrow in the next column (column contains a $z_{\rm f}$ first borrow for that column for its next left column.	:ero),
		Example: 906 906 906 906 906 -318 -318 -318 -318 -318 -318 8 88 588 588	<u>8</u>
	e.	Check your subtraction by adding your answer to the subtracted num	nber.
		Example: <u>Problem</u> <u>Check</u>	
		271 Original Number 107 Answer <u>- 164</u> Subtracted Number <u>+164</u> Subtracted Num 107 Answer 271 Original Numbe	
		✓ Note: If you have solved the problem correctly, your check and should be the same as the original number.	swer
Objective 7	Subtr	act Whole Numbers. (Assignment Sheet 2)	
Objective 8	Multip	olying whole numbers	
	a.	Set up problem by writing larger number (original number) above smaller number (multiplier), writing units under the units place, under the tens place, and so on.	
		✓ Note: You will get the correct answer (product) no matter w number is placed above the other, but the faster method places larger above the smaller.	
		Example: Multiply the number 53 by 4.	
		53 Original Number <u>x 4</u> Multiplier	
	-		

b. If the multiplier contains only one digit, multiply each digit in the original number by it, working from right to left. Multiply units digit in original number by multiplier. • • Write answer units digit and insert necessary carry digit above next left column in original number as required. Example: 1 53 ł <u>x 4</u> 2 Multiply tens digit by multiplier and add carried digit as required. • Example: 1 53 ł <u>x 4</u> 212 If the multiplier contains more than one digit, find partial products. c. Multiply each digit in original number by each digit in multiplier, • moving from right to left. • Align partial products so that right-hand digit of each is directly under its corresponding digit in the multiplier. When multiplying a double digit number, use a zero as a place-• holder Example: Multiply the numbers 174 x 42. 2 1 1 1 174 174 174 174 174 174 1 Î ł K ł ł <u>x 42</u> x 42 x 42 <u>x 42</u> x 42 <u>x 42</u> 8 48 348 348 348 348 60 960 6960 1 Place Second Partial First Partial Holder Product Product

	d. Add the partial products.	
	Example: 174 <u>x 42</u> 348 <u>+ 6960</u> 7308 Answer (Product)	
Objective 9	Multiply Whole Numbers. (Assignment Sheet 3)	
Objective 10	Dividing whole numbers	
	a. Set up problem by writing original number (number to be divided) inside a division frame, and by writing divisor (number you are dividing by) outside frame.	
	Example: How many times will 34 go into 3347?	
	Divisor 34)3347 Original Number	
	b. Determine how many times the divisor will go into the first digit of the original number. If it will not, write a zero in the answer space directly above the first digit. Then determine how many times the divisor will go into the first two numbers of the original number.	
	Note: Continue trying to divide the original number by the divisor until a set of digits can be divided. Remember to write a zero each time the set of digits cannot be divided.	
	Example: 0 34)3347 34 goes into 3 zero times.	
	<u>00</u> 34)3347 34 goes into 33 zero times.	
	009 34)3347 34 goes into 334 nine times.	
	c. Multiply the divisor by the answer (digit above frame); write this answer under the digit(s) that divisor went into, and subtract.	
	Example: 34 Multiply divisor (34) by <u>x 9</u> answer (9). 306	
	$ \begin{array}{r} $	

_		
	d.	Bring down next unused digit from original number, and place it to the right of the subtracted difference (remainder)—even if the remainder is zero.
		Example: 009 34)3347 <u>306▼</u> 287
	e.	Determine how many times the divisor will go into this new number; write your answer in the answer space above the digit that was brought down.
		Example 0098 34)3347 <u>3060</u> 287
	f.	Multiply the divisor by the last digit you wrote in the answer; write this product under the digits that divisor went into, and subtract.
		Example: 34 Multiply divisor (34) by <u>x 8</u> answer (8). 272
		$ \begin{array}{r} 0098\\ 34)3347\\ \underline{3060}\\ 287\\ \underline{-272}\\ 15\end{array} $ Write product under 287, the digits that divisor went into, and subtract.
	g.	Continue this process until all numbers in original number are used.
	h.	Write any remaining subtracted difference as a remainder.
		Example: 0098 34)3347 <u>3060</u> 287 <u>- 272</u> 15 Remainder
		15 Hemainder

	i. Check your answer by multiplying your answer times the divisor and adding the remainder to this number.		
	✓ Note: If you have solved the problem correctly, your check answer should be the same as your original number.		
	Example 98 Answer <u>x 34</u> Divisor 392 294 3332 <u>+ 15</u> Remainder		
	3347 Check Answer (Same as Original Number)		
Objective 11	Divide Whole Numbers. (Assignment Sheet 4)		
Objective 12	Distinguishing among types of fractions		
	a. Proper —Top number of fraction (numerator) is smaller than bottom number of fraction (denominator).		
	Examples: 7 Numerator 8 Denominator		
	b. Improper —Top number of fraction (numerator) is larger than bottom number of fraction (denominator,) or the same as the bottom number.		
	Examples: $\frac{9}{8}$ $\frac{16}{16}$		
	c. Mixed numbers—Contain a whole number and a proper fraction.		
	Examples: 9 ¹ / ₂ , 1 ⁷ / ₈ , 4 ³ / ₄		
Objective 13	Reducing fractions to lowest terms —Divide the numerator and denominator by the largest whole number that will go into each evenly.		
	Examples: Reduce ⁴ /16 to its lowest terms.		
	$\frac{4}{16} \frac{4 \div 4}{16 \div 4} \frac{1}{4}$		
	✓ Note: The fraction ¹ / ₄ is reduced to its lowest term because the numerator (1) and the denominator (4) cannot be divided by the same number.		
Objective 14	Reduce Fractions to Lowest Terms. (Assignment Sheet 5)		

Objective 15	Converting mixed numbers and improper fractions
	a. Converting mixed numbers to improper fractions
	 Multiply the whole number by the denominator of the fraction.
	Example: Convert 4 ³ /8 to an improper fraction.
	8 x 4 = 32
	Add your answer to the numerator.
	Example: 32 + 3 = 35
	Place this sum over the original denominator.
	Example: $\frac{35}{8}$ Improper Fraction
	b. Converting improper fractions to mixed numbers
	Divide the numerator by the denominator.
	Example: Convert ¹⁸ /15 to a mixed number.
	01 15)18 <u>15</u> 3 Remainder
	Place the remainder over the denominator.
	Example: <u>3</u> Remainder 15 Denominator
	Reduce this fraction if necessary.
	Example: $\frac{3}{15} = \frac{3 \div 3}{15 \div 3} = \frac{1}{5}$
	• Add the reduced fraction to the whole number obtained by dividing the numerator by the denominator.
	Example: $1 + \frac{1}{5} = 1 \frac{1}{5}$ Mixed Number
Objective 16	Convert Fractions and Mixed Numbers. (Assignment Sheet 6)

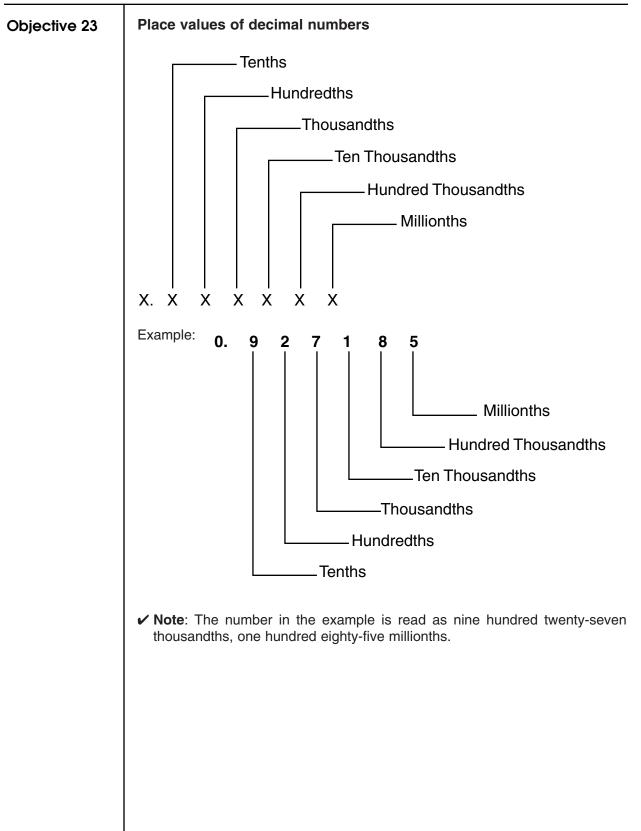
Objective 17	17 Adding fractions	
-	a. Like fractions	
	✓ Note: Like fractions are those having the same, or common, denominators.	
	Example: $1/4$ and $2/4$, $5/8$ and $5/8$, and $1/16$ and $3/16$	
	Add the numerators.	
	Place sum of numerators over common denominator.	
	Convert to mixed numbers and reduce as required.	
	Example: Add $^{1}/_{4}$ and $^{2}/_{4}$.	
	$\frac{1}{4} + \frac{2}{4} = \frac{1+2}{4} = \frac{3}{4}$	
	Example: Add ⁵ /8 and ⁵ /8.	
	$\frac{5}{8} + \frac{5}{8} = \frac{5+5}{8} = \frac{10}{8} = 10 \div 8 = 1\frac{2}{8} = 1\frac{1}{4}$	
	Example: Add ¹ /16 and ³ /16.	
	$\frac{1}{16} + \frac{3}{16} = \frac{1+3}{16} = \frac{4}{16} = \frac{4 \div 4}{16 \div 4} = \frac{1}{4}$	
	b. Unlike fractions	
	Examples: ¹¹ /12 and ³ /9, ¹ /8 and ³ /4	
	Change to like fractions.	
	 Find the lowest number into which each denominator can be divided evenly (lowest common denominator). 	

 Multiply the numerators and denominators of each fraction to the number of times its denominator can be divided into the lowest common denominator. 		
Example: Add $11/12$ and $3/9$.		
36 is lowest number into which both 12 and 9 can be divided evenly.		
36 ÷ 12 = 3		
$36 \div 9 = 4$		
$\frac{11}{12} = \frac{11 \times 3}{12 \times 3} = \frac{33}{36}$		
$\frac{3}{9} = \frac{3 \times 4}{9 \times 4} = \frac{12}{36}$		
Example: Add $^{1}/_{8}$ and $^{3}/_{4}$.		
8 is lowest number into which both 8 and 4 can be divided evenly.		
8 ÷ 8 = 1		
8 ÷ 4 = 2		
$^{1/8}$ remains as $^{1/8}$ because 8 is the common denominator.		
$\frac{3}{4} = \frac{3 \times 2}{4 \times 2} = \frac{6}{8}$		
• Add like fractions and reduce or convert to mixed numbers as required.		
Example: Add ¹¹ /12 and ³ /9		
$\frac{11}{12} = \frac{33}{36}$ and $\frac{3}{9} = \frac{12}{36}$		
$\frac{33}{36} + \frac{12}{36} = \frac{33+12}{36} = \frac{45}{36} = \frac{5}{4} = 1\frac{1}{4}$		
Example: Add ¹ /8 and ³ /4		
$\frac{1}{8}$ remains $\frac{1}{8}$ and $\frac{3}{4} = \frac{6}{8}$		
$\frac{1}{8} + \frac{6}{8} = \frac{1+6}{8} = \frac{7}{8}$		

	C.	Mixed number	'S
		Add whole	e numbers.
		Add fraction reduce or the second secon	ons, first finding common denominators if necessary, and convert to mixed numbers as necessary.
		Add the su	ums of steps 1 and 2.
		Example:	Add 3 ¹ /8 and 7 ³ /8
			Add whole numbers: $3 + 7 = 10$
			Add fractions and reduce:
			$\frac{1}{8} + \frac{3}{8} = \frac{1+3}{8} = \frac{4}{8} = \frac{1}{2}$
			Add the sums of steps 1 and 2:
			$10 + \frac{1}{2} = 10\frac{1}{2}$
		Example:	Add 4 2 /3 and 1 5 /6 Add whole numbers: 4 + 1 = 5
			Find common denominator:
			$\frac{2}{3} + \frac{5}{6} = \frac{4}{6} + \frac{5}{6}$
			Add fractions, convert to mixed number, and reduce: $\frac{4}{6} + \frac{5}{6} = \frac{9}{6} = 1\frac{3}{6} = 1\frac{1}{2}$
			6 6 6 6 2 Add the sums of steps 1 and 2:
			$5 + 1\frac{1}{2} = 6\frac{1}{2}$
			5 1 2 - 2
Objective 18	Add F	ractions. (Ass	signment Sheet 8)
	I		

Objective 19	Subtracting fractions					
	Like fractions					
	Subtract smaller numerator from larger numerator.					
	Example: Subtract ¹ /16 from ⁷ /16.					
	7 – 1 = 6					
	Place subtraction answer over common denominator.					
	Example: 6 16					
	Reduce to lowest terms as required.					
	Example: $\frac{6}{16} = \frac{3}{8}$					
	b. Unlike fractions					
	Change to like fractions.					
	Example: Subtract ¹ /2 from ³ /4.					
	³ /4 remains the same because 4 is the common denominator.					
	$\frac{1}{2} = \frac{1 \times 2}{2 \times 2} = \frac{2}{4}$					
	Subtract as for like fractions.					
	$\frac{3}{4} - \frac{2}{4} = \frac{3-2}{4} = \frac{1}{4}$					
	Reduce to lowest terms as required.					
	c. Mixed numbers					
	Convert mixed numbers to like fractions.					
	Example: Subtract 3 ¹ / ₂ from 5 ¹ / ₈ .					
	$5\frac{1}{8} - 3\frac{1}{2} =$					
	$5\frac{1}{8} - 3\frac{4}{8} =$					

 Borrow a one from the original whole number if needed, convert the one to a like fraction, and add it to the smaller fraction.
Note: This step is needed only if the like fraction in the original number is smaller than the like fraction in the subtracted number.
Example:
$5 \ \frac{1}{8} - 3 \frac{4}{8} = (4 \frac{8}{8} + \frac{1}{8}) - 3 \frac{4}{8}$
$=4\frac{9}{8}-3\frac{4}{8}$
 Subtract whole number from whole number and like fraction from like fraction.
Example: $4\frac{9}{8} - 3\frac{4}{8} = 1\frac{5}{8}$
Subtract Fractions. (Assignment Sheet 8)
Multiplying fractions
a. Convert mixed numbers to improper fractions if necessary.
b. Multiply numerators by numerators and denominators by denominators.
 Write the product of the numerators over the product of the denominators.
d. Convert improper fractions to mixed numbers and reduce as required.
Example: Multiply ¹ / ₂ by ³ / ₄ .
$\frac{1}{2} \times \frac{3}{4} = \frac{1 \times 3}{2 \times 4} = \frac{3}{8}$
Example: Multiply 1 ¹ /4 by ¹ /2.
$1\frac{1}{4} \times \frac{5}{4}$ Convert to improper fraction.
$\frac{5}{4} \times \frac{1}{2} = \frac{5 \times 1}{4 \times 2} = \frac{5}{8}$
Multiply Fractions. (Assignment Sheet 9)



Objective 24	dding decimal numbers						
	a. Set up problem as for addition of whole numbers, aligning decimal points directly under each other.						
	✓ Note: Zeros may be added to ensure that units line up under units, tens under tens, and so on. Whole numbers have an understood decimal point to the right of the units digit: 7 is 7., 75 is 75., and 754 is 754.						
	Example: Add 0.857, 2.1, 753, and 370.057.						
	$\begin{array}{cccc} 0.857 & 000.857 \\ 2.1 & 002.100 \\ 753 & 735.000 \\ + 370.057 & + 370.057 \end{array}$						
	b. Add each column of numbers as for whole numbers.						
	c. Locate the decimal point in the answer by placing it directly under the decimal points above.						
	Example: 000.857 002.100 753.000 <u>+ 370.057</u> 1126.014 Answer						
Objective 25	Add Decimal Numbers. (Assignment Sheet 10)						
Objective 26	Subtracting decimal numbers						
	a. Set up problem as for subtraction of whole numbers, aligning decimal points directly under each other.						
	Example: Subtract 1.397 from 8.120.						
	8.120 Original Number <u>– 1.397</u> Subtracted Number						
	b. Subtract each column of numbers as for whole numbers.						
	c. Locate the decimal point in the answer by placing it directly under the decimal points above.						
	d. Check your subtraction by adding your answer to the subtracted number.						
	Note: If you have solved the problem correctly, your check answer should be the same as the original number.						
	Example: 8.120 Original Number <u>– 1.397</u> Subtracted Number <u>+ 6.723</u> Answer (Difference) 8.120 Check Answer						

	Subract Decimal Numbers. (Assignment Sheet 11)						
Objective 28	Multiplying decimal numbers						
	a. Set up problem and multiply as for multiplication of whole numbers.						
	Note: Do not align the decimal points in columns when setting up multiplication problems for decimal numbers.						
	Example: Multiply 27.935 by 7.07.						
	27.935 Original Number <u>x 7.07</u> Multiplier 195545 <u>955450</u> 19750045						
	b. Add the number of decimal placed to the right of the decimal points in the multiplier and original number.						
	Example: 27.935 3 Decimal Places <u>x 7.07</u> <u>+ 2</u> Decimal Places 5 Total Decimal Places						
	c. Locate the decimal point in answer by beginning at far right digit and counting off as many places to the left as the total decimal places found in step B.						
	Example: 27.935 <u>x 7.07</u> 195545 <u>1955450</u> 197.50045 5 Decimal Places						
Objective 29	Multiply Decimal Numbers. (Assignment Sheet 12)						
Objective 30	Dividing decimal numbers						
	a. Set up problem as for division of whole numbers.						
	Example: Divide 0.25 by 0.005.						
	Divisor 0.005)0.25 Original Number						
	b. Move the decimal point in the divisor to the right of the far right digit in the divisor.						

	c. Move the decimal point in the original number to the right by the same number of decimal places that you moved the decimal point in the divisor, adding zeros to the original number if necessary.
	Example: 0.005.)0.250.
	✓ Note: If you are dividing a decimal number into a whole number, remember that whole numbers have an understood decimal point to the right of the units digit.
	Example: 0.03 9 becomes 0.03. 9.00.
	d. Place a decimal point in the answer space directly above the repositioned decimal point in the original number.
	Example: 0.005.)0.250.
	e. Divide as for whole numbers.
	Example: 0005.)0250. 000 00
	f. Check your division by multiplying the original divisor (before decimal point was moved) by your answer and adding any remainder to this number.
	✓ Note: If you have solved the problem correctly, your check answer should be the same as the original number.
	Example: 0.005 Divisor <u>x 50</u> Answer 0.250 Check Answer (Same as Original Number)
Objective 31	Divide Decimal Numbers. (Assignment Sheet 13)
Objective 32	Converting Fractions
	a. Converting decimal fractions to common fractions
	Remove the decimal point.
	• Place number over its respective denominator (10's, 100's, 1000's).
	Cancel zeros when possible.

Reduce to lowest terms.
Example: Convert .25 to a common fraction
.25 = 25
$=\frac{25}{100}$
$=\frac{1}{\Delta}$
- 4 Example: Convert .520 to a common fraction
.520 = 520
$=\frac{520}{1000}$
·
$=\frac{52}{100}$
$=\frac{13}{25}$
23
b. Converting common fractions to decimals and percentages
Fractions to decimals—Divide the numerator by the denominator.
Example: Convert ⁵ /8 to a decimal.
5 Numerator 0.625 8 Denominator 8) 5.000
$\frac{4.8}{20}$
<u>16</u>
40 <u>40</u>
0
• Fractions to percentages—Divide the numerator by the denominator.
✓ Note: Percent means that a number is a fraction of 100.
 Convert the fractions to decimals by dividing numerator by denominator.
 Move the decimal point in the answer two places to the right.

	 Place the percent symbol after the number. 								
	Example: Convert ⁷ /33 to a percentage.								
	$\begin{array}{c c} \hline 7 \\ \hline 33 \end{array} \begin{array}{c} \text{Numerator} \\ \text{Denominator} \end{array} \begin{array}{c} 0.2121 \\ 33)7.0000 \\ \hline 33)7.0000 \\ \hline 66 \\ 40 \\ \hline 33 \\ 70 \\ \hline 66 \\ 40 \\ \hline 33 \\ 7 \end{array}$								
	c. Converting percentages to fractions and decimal numbers								
	Percentages to fractions								
	 Drop the percent symbol. 								
	 Place the number over 100. 								
	 Reduce to lowest terms if necessary. 								
	Example: Convert 38% to a fraction								
	38% = 38								
	$=\frac{38}{100}$								
	$=\frac{19}{50}$								
	Percentages to decimals								
	 Drop the percent symbol. 								
	 Move the decimal point two places to left. 								
	Example: Convert 74% to a decimal								
	74% = 74								
	= 0.74								
Objective 33	Convert Fractions and Percentages. (Assignment Sheet 14)								

Objective 34	Solving percentage problems						
	Note: Percentage problems may involve solving for the percent ("16 is what percent of 80?"), the part ("What number is 20% of 80?"), or the whole ("16 is 20% of what number?").						
	a. Write the unknown as "X".						
	✓ Note: The unknown may be the percent, the part, or the whole.						
	Example: 16 is what percent of 80?						
	16 is X percent of 80.						
	b. Write the percent (known or unknown) as a fraction with a denominator of 100.						
	Example: 16 is $\frac{X}{100}$ percent of 80.						
	c. Write the part and the whole as a fraction, writing the part as the numerator and the whole as the denominator.						
	Example: <u>16</u> Part 80 Whole						
	d. Set up the equation by writing the two fractions with an equal sign between them.						
	Example: $\frac{X}{100} = \frac{16}{80}$						
	e. Solve the equation by multiplying the numerator of each fraction by the denominator of the other.						
	✓ Note: This process is known as cross multiplying.						
	Example: $\frac{X}{100} = \frac{16}{80}$						
	80X = 1600						
	f. Divide each side of the equation by the multiplier of X.						
	Example: 80X = 1600						
	X = 20%						
	16 is 20% of 80.						
Objective 35	Solve Percentage Problems. (Assignment Sheet 15)						
	1						

Objective 36	Values of prefixes associated with metric measurement						
	✓ Note: The basic units of measurement in the metric system are the metric (length), liter (capacity), and gram (mass or weight). Other units are name by adding the following prefixes to <i>meter</i> , <i>liter</i> , or <i>gram</i> . Since a measurement units in the metric system are power of 10, metric prefixed make measurements easily understood. A millimeter, for instance, is or thousandth of a meter.						
		<u>Prefix</u>	Value				
	a.	kilo- (k)					
	b.	hecto- (h)	one hundred (100)				
	C.	deka- (da)					
	d.	deci- (d)	one tenth (1/10)				
	e.	centi- (c)	one hundredth (1/100)				
	f.	milli- (m)	one thousandth (1/1000)				
Objective 37	Englis	onversion charts and how to use them					
	✓ Note: Because almost all overseas supplies used in American industry are measured on the metric system, the ability to convert metric to English measurement is becoming a common workplace requirement.						
	a.		tric conversion charts provide a handy conversion factor for metrics to English and English to metrics.				
	b.	To use an English-metric conversion chart, identify the English measurement, the metric form you want to convert it to, and the multiply the English measurement by the proper conversion factor.					
		Example:	If you want to know what 10 inches would be in metric, multiply 10 x 25.4 (the conversion factor) to get 254 millimeters.				
	C.	To use an English-metric conversion chart, identify the metric measurement, the English form you want to convert it to, and the multiply the metric measurement by the proper conversion factor.					
		Example:	If you want to know what 254 millimeters would be in English, multiply 254×0.04 to get 10 inches (the figure is actually 10.1, but it should be rounded off to 10).				

	When You Know	You Can Convert To	When You Multiply By the Conversion Factor		
LENGTH	Inches	Millimeters (mm)	25.4000		
	Millimeters	Inches	0.0400		
	Inches	Centimeters (cm)	2.5400		
	Centimeters	Inches	0.4000		
	Inches	Meters (m)	0.0254		
	Meters	Inches	39.3700		
	Feet	Centimeters	30.5000		
	Centimeters	Feet	4.8000		
	Feet	Meters	0.3050		
	Meters	Feet	3.2800		
	Miles	Kilometers (km)	1.6100		
	Kilometer	Miles	0.6200		
AREA	Inches ²	Millimeters ² (mm ²)	645.2000		
	Millimeters ²	Inches ²	0.0016		
	Inches ²	Centimeters ² (cm ²)	6.4500		
	Centimeters ²	Inches ²	0.1600		
	Foot ²	Meters ² (m ²)	0.0930		
	Meters ²	Foot ²	10.7600		

Basic Math Skills

Objective 5	Supplement Assignment Sheet 1—Add Whole Numbers										
·	Nan Date	ne									
	•	Comp Labele Comp	on Criteri leted all p ed answer uted a min tly per As	roblem s with o	correct of 18 o	unit of n f the 20	neasur answe			F 	lating
Basic Skills	Re	ading	Ma	3+6 1 4 thematics							
Directions		mples:	following 5 <u>+ 10</u> 15 e each of	1 67 <u>+ 28</u> 92	- ← (7 2	Carried I		5 3 <u>+ 4</u> 13	39 33 <u>32</u> 04		d Digits
		1.	2 <u>+ 9</u>	2.	8 <u>+ 8</u>		7 <u>+ 6</u>	4.	15 <u>+8</u>		8 1 <u>+ 2 7</u>
		6.	7 38 <u>+43</u>		55 88 +99		41 28 <u>69</u>		4 7 2 5 6 4 <u>8 8 1</u>	5	0 8 7 6 5 4 3 2 1 <u>1 2 2</u>

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b.		e the following word problems. Show your work in the spaces ided. Write your answers on the blanks.
	1.	A chef has 12 steaks. He has ordered and received 8 additional steaks. How many total steaks does he have?
		Total steaks =
	2.	A restaurant owner has a 34-employee restaurant, a 26-employee restaurant, a 9-employee restaurant, and a 15-employee restaurant. Find the total number of people he employes.
		Total employees =
	3.	Tonja ordered the following number of salt packets on different dates: 256, 62, 575, and 242. How many salt packets should she be billed for?
		Number of salt packets =
	4.	If a caterer is paid \$480 for wait staff, \$13 for drinks, \$81 for food, and \$35 for supplies, what was the total cost?
		Total cost =
	5.	For a major banquet, Bill worked 28 hours, Eliot worked 16 hours, and Shanedra worked 42 hours. What are the total hours worked on this job?
		Total hours worked =

6.	In a kitchen drawer are 23 spatulas, 14 rolling pins, 11 whisks, and 5 ladles. How many utensils are in the drawer?
	Number of utensils in drawer =
7.	There are 13 large boxes in the store room, 7 medium boxes, and 11 small boxes. How many boxes are in the store room?
	Number of boxes =
8.	Chef Roberts spent all day cooking red sauce. The number of gallons of red sauce made was 65, 75, 69, 81, 57, and 76. What is the total number of gallons made?
	Number of gallons made =
9.	A caterer decides to make his own linen tableclothes. At the fabric store, he bought 40 feet, 60 feet, 37 feet, and 145 feet of linen fabric. How many feet of linen did he buy?
	Total number of feet =
10.	Several lengths of rolled dough measures 18 inches, 25 inches, 19 inches, and 46 inches. What is the total length of rolled dough (in inches)?
	Total number of inches =

Basic Math Skills

	Supplemen					
Objective 7	Assignment Sheet 2—Subtract Whole Numbers					
	Name Overall Rating					
	Date					
	Evaluation Criteria Rating					
	Completed all problems and showed work					
	Labeled answers with correct unit of measurement					
	Computed a minimum of 20 of the 24 answers correctly per Assignment Sheet 2 answers					
Basic Skills	Reading Mathematics					
Directions	Solve the following subtraction problems.					
	Examples:12Original Number57Original Number-7Subtracted Number-35Subtracted Number+5Answer (Difference)+ 22Answer (Difference)12Check Answer57Check Answer(Same as Original Number)57Check Answer					
	a. Solve each of the following subtraction problems. Check your answer ladding the difference to the subtracted number. Show your work.					
	1. 9 2. 15 3. 75 4. 453 5. 742 -5 -8 -22 -47 -312					
	6.981 7.1420 8.3459 9.55722 10.9867 <u>-698245 -1649 -4272 -895</u>					

b.	Solve the following word problems. Show your work in the space provided. Write your answers on the blanks. Check your answers adding the difference to the subtracted number.				
	1.	If a dining room needs 172 cloth napkins and it has 46, how many more napkins would the dining room need?			
		Number of napkins needed =			
	2.	If there are 18 cans of peaches on inventory and you use 6 of them, how many are left?			
		Number of cans of peaches left =			
	3.	Angela worked 33 hours on 2 major parties, and Henry worked 56 hours on similar parties. How many more hours did Henry work than Angela?			
		Difference in hours worked =			
	4.	In the first year of operation, a restaurant handled 1219 meals. During the second year, the meals increased to 2167. How many more meals did the restaurant do the second year?			
		Difference in meals =			
	5.	To install a new dishwasher takes 65 minutes. If you have already worked 27 minutes, how much longer will you need to work?			
		Difference in minutes worked =			

	6.	Mr. Perez, the instructor, has 240 recipe books in stock. If 98 are needed during the first semester course, how many are left for the second semester?
		Number of recipe books left =
	7.	If the average pounds of flour used in a month is 2100 lbs. and you used 2310 lbs., how much above average is the amount of flour you used?
		Pounds of flour used above average =
;	8.	You can work only 13 hours this week. The following week you can work 6 hours. How many hours will he need to work on the third week if the job will take a total of 27 total hours?
		Additional hours required =
9	9.	The deep-fat fryer uses 250 liters of oil per semester. There are only 127 liters of oil in the storage room. How many more liters will be needed for the semester?
		Liters needed =

10. Determine the number of kilometers traveled by a culinary book salesperson for each of five weeks from the odometer readings below.

Week	1	2	3	4	5
Reading (start) Reading (end)	32,119 32,899	32,899 33,988	33,988 35,976	,	37,065 39,001
Week 1	km	Week 4			km
Week 2	km	Week 5			km
Week 3	km				

Objective 9	Supplement Assignment Sheet 3—Multiply Whole Numbers
	Name Overall Rating
	Date
	Evaluation Criteria Rating
	Completed all problems and showed work
	Labeled answers with correct unit of measurement
	Computed a minimum of 18 of the 20 answers correctly per Assignment Sheet 3 answers
Basic Skills	Reading Mathematics
Directions	Solve the following multiplication problems.
	Examples: 8 53 756 $x 7$ $x 4$ $x 312$ 56 212 1512 First Partial Product 7560 Second Partial Product 226800 Third Partial Product 235872 Product
	a. Solve each of the following multiplication problems. Show your work.
	1. 6 2. 9 3. 54 4. 721 5. 1682 <u>x7 x8 x6 x4 x5</u>
	6. 78 7.453 8.314 9.2143 10.4123 <u>x26 x47 x527 x235 x1324</u>

b.	Solve the following word problems. Show your work in the spaces provided. Write your answers on the blanks.		
	1.	There are 4 eggs in a cake. How many eggs are in 8 cakes?	
		Number of eggs =	
	2.	The dishwasher holds 24 plates per load. How many plates are in 4 loads?	
		Number of plates =	
	3.	There are 500 cups in a box. How many are in 6 boxes?	
		Number of cups =	
	4.	If it takes 4 apples per pie, how many apples will be needed for 6 pies?	
		Apples needed =	
	5.	There are 16 culinarian students working on various projects. If each student works 8 hours, what are the total hours worked?	
		Total hours worked =	
	6.	If a can of pudding costs costs \$6 per pound, how much will 58 pounds cost?	
		Total cost of pudding =	

7.	It takes 35 minutes to cook a pizza. How many minutes will it take to cook 9 pizzas of the same type?
	Total minutes required =
8.	How many of the school's ovens can be used in the kitchen over the course of 9 hours, if 15 can be used in 1 hour? Total ovens used =
9.	Figure the amount of time worked in 4 weeks by 12 bakers who work 30 hours each week.
	Hours worked =
10.	A truck travels 42 kilometers an hour for 6 hours daily for 19 days. Another truck travels 37 kilometers an hour for 6 hours daily for 23 days. A third truck travels 39 kilometers an hour for 6 hours daily for 22 days. What is the total kilometers of the three trucks?
	Total kilometers =

Objective 11	Assignment Sheet 4—Divide W	hol	Supplement e Numbers
	Name	Overa	all Rating
	Date		
	 Evaluation Criteria Completed all problems and showed work Labeled answers with correct unit of measurer 		Rating
	Computed a minimum of 14 of the 16 answers correctly per Assignment Sheet 4 answers	S	
Basic Skills	Reading Mathematics		
Directions	Solve the following division problems.		
	Examples: <u>Answer</u> Divisor)Original Number 3)	324 972 9 7 6 12 12 12	
	<u>51</u> 570 <u>5</u>		Answer Divisor
	68 <u>+</u>	17	Remainder Original Number

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a.		Solve each of the following division problems. Check your answers by multiplying the divisor by the original number. Show your work.				
	1.	2)8	2.	6)48	3.	9 <u>)819</u>
	4.	4)1248	5.	13)39	6.	66)198
	7.	84 <u>)5212</u>	8.	124)345	9.	464 <u>)829</u>
	10.	746)2872				
ĥ	Sol	up the following word	prol	alama. Shaw your wor	k in	the energy
b.	pro	vided. Write your answe	ers or			
	1.	If a can of mayonnaise from a 55-pound drum	e hol 1?	ds 5 pounds, how many	cans	can be filled
		Number of cans =				

2.	Catering Clark received \$418 for a dinner event. He worked 19 hours on the job. How much did he make per hour?
	Amount earned per hour =
3.	How many 4-egg pies can be made using a case containing 416 eggs?
	Number of 4-egg pies =
4.	If Vonda serves 4 customers a day, how many days will it take her to serve 92 customers?
	Number of days =
5.	New kitchen equipment cost \$13,104. How much will the school's monthly payments be if the equipment is financed over a 14-month period?
	Monthly payments =
6.	A host has 3,828 napkins. He gives away 116 each day. How many days' supply does he have?
	Number of days =

		Basic Ma	th Skills
		Sup	plement
Objective 14		eet 5—Reduce Fractions owest Terms	ì
	Name	Overall Rating _	
	Date		
	Evaluation Criteria		Rating
	Completed all problems and	showed work	
	Labeled answers with correct	t unit of measurement	
	Computed a minimum of 8 o correctly per Assignment Sho		
Basic Skills	Reading Mathematics		
Directions	Reduce the following fractions to	their lowest terms.	
	Example: $\frac{9}{12} = \frac{9 \div 3}{12 \div 3} =$	$\frac{3}{4} \qquad \frac{12}{32} = \frac{12 \div 4}{32 \div 4} = \frac{3}{8}$	
	A. 4/8 =	F. 9/27 =	
	B. 8/16 =	G. 16/32 =	
	C. 2/2 =	H. 2/4 =	
	D. 4/16 =	I. 9/12 =	
	E. 12/48 =	J. 50/100 =	

				Basic N	/lath Skills
				S	upplement
Objective 16	Assig		Sheet 6—Co d Mixed Nu	onvert Fraction mbers	ons
	Data			Overall Ratin	ıg
	Evaluation Crite				Rating
	Completed all	problems	and showed wo	rk	
	Labeled answ	ers with c	orrect unit of me	asurement	
	Computed a r correctly per A		of 30 of the 35 ar It Sheet 6 answe		
Basic Skills	Reading	Athematics			
Directions	Convert the follow when possible.	ving fraction	ons and mixed r	numbers. Reduce	to lowest terms
	before a pro	per fractio		ons by writing a "F an improper fraction	
	1.	1/2	9.	4/4	
	2.	3 ⁷ /8	10.	9 ³ / ₁₆	
	3.	16/ ₂	11.	5 ¹ /2	
	4.	3 ¹ /8	12.	9/8	
	5.	1/4	13.	9/4	
	6.	1/1	14.	1/8	
	7.	7/2	15.	16 ³ /4	
	8.	8 ¹ /2			

b.			n of the following vest terms when po		oers to ir	nproper fractions.
	1.	3 ¹ /4 =		6.	5 ² /4 =	
	2.	4 ¹ /2 =		7.	4 ¹ /4 =	
	3.	7 ³ /4 =		8.	8 ¹ /2 =	
	4.	8 ¹ /2 =		9.	9 ¹ /4 =	
	5.	6 ¹ /8 =		10.	16 ¹ /2 =	
C.			n of the following vest terms when po		actions to	mixed numbers.
	1.	7/4 =		6.	11/8 =	
	2.	⁹ /2 =		7.	75/32 =	
	3.	⁶ /4 =		8.	5/2 =	
				_		
	4.	15/8 =		9.	$^{15/4} =$	

Obio divo 19	Suppler	nent
Objective 18	Assignment Sheet 7—Add Fractions	
	Name Overall Rating	
	Date	
	Evaluation Criteria Ra	ting
	Completed all problems and showed work	
	Labeled answers with correct unit of measurement	
	Computed a minimum of 17 of the 19 answers correctly per Assignment Sheet 7 answers	
Basic Skills	Reading Mathematics	
Directions	Adding like fractions:	
	Note: In "like" fractions, the bottom number is the same in all fractions added.	; being
	Examples: Add ³ / ₄ and ³ / ₄ .	
	1. Add the numerators.	
	Example: $\frac{3+3=6}{4}$	
	2. Reduce to lowest terms if necessary.	
	Example: $\frac{6}{4} = 1\frac{2}{4} = 1\frac{1}{2}$	

Adding unlike fractions:

✓ Note: In "unlike" fractions, the bottom number is different in the fractions being added.

Examples: Add ¹/₄ and ⁷/₈.

1. Change to equivalent fractions with lowest common denominator.

Example: ⁷/₈ remains the same, as 8 is lowest common denominator.

 $^{1}/_{4}$ is multiplied by $^{2}/_{2}$, or $^{1}/_{4}$ x $^{2}/_{2} = ^{2}/_{8}$.

2. Add the numerators.

Example:
$$2 + 7 = 9 \\ 8 8 8 8$$

3. Change improper fraction to mixed number and reduce to lowest terms if necessary.

Example: $\frac{9}{8} = 9 \div 8 = 1 \frac{1}{8}$ Answer

Adding mixed numbers:

Example: Add 3 ⁵/₈ + 7 ⁵/₈.

1. Add numerators

Example: $\frac{5+5}{8} = 10/8$

2. Change improper fraction to mixed number and reduce to lowest terms if necessary.

Example: $10/8 = 10 \div 8 = 1^{2}/8 = 1^{1}/4$

3. Add whole numbers and fractions.

Example: $3 + 7 + 1 + \frac{1}{4} = 11 \frac{1}{4}$ Answer

- a. Add the following fractions. Show your work in the space provided below the problems. Reduce to lowest terms if necessary. Write your answers on the blanks beside the problems.
 - 1. $\frac{7}{16} + \frac{5}{16} =$ 6. $\frac{5}{8} + \frac{5}{32} =$

	2.	⁵ / ₈ + ⁷ / ₈ = 7. ³ / ₄ + ⁵ / ₃₂ =
	3.	¹ / ₄ + ² / ₈ = 8. ⁷ / ₈ + ⁶ / ₁₆ =
	4.	⁴ / ₁₆ + ³ / ₄ = 9. ⁹ / ₁₆ + ³ / ₄ =
	5.	⁹ / ₁₆ + ⁵ / ₈ = 10. ⁴ / ₄ + ²⁵ / ₃₂ =
b.		e the following problems. Show your work in the spaces provided. uce to lowest terms if necessary. Write your answers on the blanks.
	1.	Add the lengths of two strings that are 6 $^{1/2}$ inches and 8 $^{1/4}$ inches.
		Total length in inches =
	2.	Carlos worked 4 ¹ / ₂ hours before lunch and 3 ¹ / ₄ hours after lunch. How many hours did Carlos work? Total hours worked =
	3.	Add the lengths of three kitchen tools that are 2 $^{1/8}$ inches, 3 $^{1/4}$ inches, and 1 $^{13/16}$ inches.
		Total length in inches =
	4.	Three pieces of taffy can be stretched out to lengths of 6 $^{5/8}$ inches, 6 $^{3/4}$ inches, and 6 $^{1/4}$ inches. What is the total length of the three pieces of taffy?
		Total length in inches =

5.	In learning to read an English rule, Taro located 4 ⁷ / ₈ inches on the rule, Gustav read 3 ¹⁵ / ₁₆ inches, and Li-Chen located 4 ¹ / ₄ inches. How many total inches were located?
	Total inches =
6.	Add three cheese segments 17 $^{15/16}$ inches, 16 $^{3/4}$ inches, and 25 $^{3/8}$ inches.
	Combined segments in inches =
7.	Three lengths of homemade noodles are 1 $^{11/16}$ inches, 2 $^{3/8}$ inches, and 2 $^{3/4}$ inches. What is the combined length?
	Combined length in inches =
8.	A container of milk has 1 $^{1}/_{2}$ liters in it. Sally adds 1 $^{3}/_{4}$ liters. How many liters are now in the container?
	Total liters of milk =
9.	A busperson worked 5 $^{7}/_{8}$ hours, 3 $^{3}/_{4}$ hours, and 7 $^{7}/_{16}$ hours over three days. How many total hours did the busser work?
	Total hours worked =

	Suppleme	nt
Objective 20	Assignment Sheet 8—Subtract Fractions	
	Name Overall Rating	
	Evaluation Criteria Rating • Completed all problems and showed work	
Basic Skills	Reading Mathematics	
Directions	Subtracting like fractions:	
	Examples: Subtract ¹ /16 from ⁷ /16.	
	1. Subtract smaller numerator from larger numerator.	
	Example: $7 - 1 = 6$	
	2. Place answer over common denominator.	
	Example: 6/16	
	3. Reduce to lowest terms if required.	
	Example: $6/16 = 3/8$ Answer	
	Subtracting unlike fractions:	
	Example: Subtract 1/2 from 3/4.	
	1. Change to like fractions.	
	Example: ³ /4 remains the same because 4 is the comm denominator.	on
	$1/2$ is multiplied by $2/2$, or $1/2 \ge 2/2 = 2/4$.	

2.	. Subtract as for like fractions and reduce to lowest terms if required.	
	Example: $3/4 - 2/4 = 1/4 = $ Answer	
Subtractin	g mixed numbers:	
Example:	Subtract 3 1/2 from 5 1/8	
1.	Change mixed numbers to like fractions.	
	Example: 3 ¹ / ₂ - 3 ⁴ / ₈	
2.	Borrow a 1 from the original whole number if needed, and convert the 1 to a like fraction, and add it to the smaller fraction.	
	✓ Note: This step is needed only if the like fraction in the original number is smaller than the like fraction in the subtracted number.	
	Example: $5 \frac{1}{8} - 1 \frac{4}{8} = (4 \frac{8}{8} + \frac{1}{8}) - 3 \frac{4}{8} = 4 \frac{9}{8} - 3 \frac{4}{8}$	
3.	Subtract whole number from whole number and like fraction from like fraction, and reduce answer to lowest terms if required.	
	Example: $4 \frac{9}{8} - 3 \frac{4}{8} = 1 \frac{5}{8}$ Answer	
Subtractin	g a fraction from a whole number:	
Example:	4 – ³ /16	
1.	Borrow 1 from whole number.	
	Example: $4 - 1 = 3$	
2.	Change borrowed 1 to like fraction.	
	Example: $1 = \frac{16}{16}$	
3.	Subtract as for like fractions and reduce answer to lowest terms if required.	
	Example: $3 \frac{16}{16} - \frac{3}{16} = 3 \frac{13}{16}$ Answer	

a.	Subtract the proper fractions given below. Show your work in the spaces provided. Reduce to lowest terms if necessary. Write your answers on the blanks.			
	1.	3/4 - 3/16 =	6.	15/16 – 3/8 =
	2.	7/8 – 1/4 =	7.	1/2 – 7/16 =
	3.	30/32 - 3/4 =	8.	3/4 – 3/8 =
	4.	25/32 - 5/8 =	9.	13/16 – 9/32 =
	5.	7/8 – 2/16 =	10.	7/8 – 6/16 =
b.	the	ptract the following fractions from wh spaces provided. Reduce to lowes swers as a mixed number on the blan	t teri	
	1.	4 – 3/4 =		
	2.	7 – 15/16 =		
	3.	32 – 13/32 =		
	4.	175 – 4/5 =		
	5.	12 – 61/64 =		

Subtract the following mixed numbers from whole numbers. Show your C. work in the spaces provided. Reduce to lowest terms if necessary. Write your answers on the blanks. 1. $2 - 1^{1/3} =$ _____ 6. 14 – 6 ³/₄ = 2. 3 – 1 ³/8 = _____ 7. $5 - (3\frac{5}{32} + 1\frac{9}{32}) =$ _____ 8. $8 - (1^{1/4} + 5^{5/8} + {}^{1/16}) =$ 3. 18 – 9 ⁷/8 = _____ 4. $3 - 1^{21/32} =$ _____ 9. 4 – 3 ¹/₃ = 5. 27 – 1 ⁵/16 = _____ 10. 42 – 3 ⁷/16 = _____ d. Subtract the following mixed numbers. Show your work in the spaces provided. Reduce to lowest terms if necessary. Write your answers on the blanks. 6. $5^{1/4} - (1^{1/8} + 1^{7/8}) =$ 1. $1^{3/5} - 1^{1/5} =$ _____ 2. $72 \frac{6}{16} - 22 \frac{7}{16} =$ 7. $12 \frac{1}{2} - (7 \frac{1}{4} + 3 \frac{1}{8}) =$ 3. $7\frac{5}{6} - 2\frac{1}{6} =$ 8. $4^{29}/32 - 1^{19}/32 =$ 4. $18^{7/8} - 9^{3/8} =$ _____ 9. $5^{15}/32 - 2^{31}/32 =$ 5. 35 ⁵/₈ - 8 ¹/₂ ____ 10. 8 ¹/₁₆ - 4 ⁷/₈ = ____

e.		ve the following word problems. Show your work in the spaces vided. Reduce to lowest terms if necessary. Write your answers on the nks.
	1.	Ross had a ⁷ / ₈ -inch fork. He needed a ³ / ₄ -inch fork. How much difference is there in the size of the forks?
		Differences in inches =
	2.	It took Anita $5^{1/4}$ hours to marinate a steak, but it took Don $4^{1/2}$ hours to marinate a similar cut. How much faster did Don's steak marinate than Anita's?
		Difference in hours =
	3.	A cabinet is to be installed 4 ¹ / ₂ inches from the floor. Two pieces of decorative baseboard will be installed under the cabinet. If one piece of baseboard is 1 ⁵ / ₈ inches wide, how wide must the second piece be to touch the cabinet?
		Width of baseboard in inches =
	4.	Three pieces of dough are cut from a piece $35^{1/2}$ inches long. The lengths are $7^{1/4}$ inches, $11^{3/8}$ inches, and $6^{1/2}$ inches. If $3^{1/8}$ inch of dough is wasted in cutting, how much dough is left?
		Length of dough left in inches =

5.	A brick of cheddar cheese is $32^{1/2}$ inches long. Short pieces of the following lengths are cut from it: $6^{1/2}$ inches, $5^{1/4}$ inches, $8^{13/16}$ inches, and $10^{9/16}$ inches. How much cheese is left?
	Amount of cheese left in inches =
6.	A sink has 16 $^{3/10}$ gallons of solvent in it. After using 9 $^{3/4}$ gallons, how many gallons will be left?
	Number of gallons =
7.	A container of bleach holds 4 ¹ /4 liters. How much bleach is left after
7.	using $1/2$ liter to disinfect the floors?
	Liters of bleach left =
8.	A stick of butter is $1/2$ inch by 10 inches. If $1^{3}/8$ inches are cut from its length, what will be the final length of the butter?
	Butter length in inches =

Sup			
Objective 22	Assignment Sheet 9—Multiply Fractions		
	Name Overall Rating		
	Date		
	Evaluation Criteria R	ating	
	Completed all problems and showed work		
	Labeled answers with correct unit of measurement		
	Computed a minimum of 9 of the 11 answers correctly per Assignment Sheet 9 answers		
Basic Skills	Reading Mathematics		
Directions	Solve the following multiplication problems.		
	Example:		
	$\frac{2}{3} \times \frac{3}{4}$ becomes $\frac{2 \times 3}{3 \times 4} = \frac{6}{12} = \frac{1}{2}$		
	a. Multiply the following fractions. Convert mixed fractions where and reduce answers to lowest terms.	needed	
	1. $\frac{1}{2} \times \frac{3}{4} = $ 5. $\frac{3}{8} \times \frac{5}{16} = $		
	2. $1\frac{1}{2} \times 2\frac{1}{4} = $ 6. $\frac{1}{2} \times 6\frac{1}{2} = $		
	3. $\frac{7}{8} \times \frac{2}{3} = $ 7. $1\frac{1}{3} \times 2\frac{1}{4} \times \frac{1}{2} = $		
	4. $\frac{1}{4} \times \frac{1}{3} \times \frac{1}{2} = $ 8. $2\frac{3}{4} \times 6\frac{1}{8} = $		

b.	. Solve the following word problems. Show your work in the space pr Write your answers on the blanks.	
	1.	A certain cleaning agent requires mixing $3/4$ gallon solvent and $1/4$ gallon water to make a gallon of cleaning agent. How much solvent should a worker use if she needs to mix only $1/3$ gallon of the cleaning agent?
		Amount of agent =
	2.	There are 296 chocolate chips per pound. How many chocolate chips are there in $^{1\!/\!4}$ pound?
		Number of chocolate chips =
	3.	After completing a dinner party, a caterer has 8 ² / ₃ feet of garland for table decoration left in two different colors. If one-half of the garland is green, how many feet of red garland are there?
		Number of feet of red garland =

	Name			Overal	I Rating]
	Evaluation Cr					Rating
	Completed	all proble	ms and showe	d work		
	Labeled ans	wers wit	h correct unit c	f measurement		
			m of 35 of the 4 nent Sheet 10			
sic Skills		2)-1 2)-1 4 \$				
rections	Reading Solve the follow	Mathematic		blems.		
	a. Write the r	name of t	he place for ea	ach <i>underlined</i> dig	git.	
		1.	867. <u>4</u> 3		_ 4.	6.239 <u>5</u>
		2.	6.3 <u>7</u> 892		_ 5.	0.47 <u>6</u>
		3.	1.000 <u>8</u>			
				the last digit in	each o	f the follow
	b. Write the numbers.	name of	the place for	3		
			the place for 0.38		_ 4.	427.389
					_ 4. _ 5.	427.389 44.67
		1. 2.	0.38 0.4678			
		1.	0.38			

T

C.	Underline the digit that is in the place named in italics.
0.	endennie ale algit alat le in ale place hamed in haleet

1.	46.3826	Hundredths	11.	5230.867	Thousandths
2.	35.0038	Ten thousandths	12.	587.029	Ones (units)
3.	148.296	Tenths	13.	0.298	Hundredths
4.	6758.23	Hundredths	14.	329.768	Tens
5.	91.4082	Thousandths	15.	52.694	Thousandths
6.	204.37	Tens	16.	498.276	Tenths
7.	14.0079	Ones (units)	17.	0.5296	Ten thousandths
8.	208.097	Hundredths	18.	468.539	Hundredths
9.	5.23981	Thousandths	19.	324.06	Tenths
10.	502.967	Tenths	20.	567.8	Ones (units)

- d. Set up the following groups of numbers in columns. Add each column, carrying when necessary and placing the decimal point correctly.
 - 1. 0.024 + .165
 - 2. 87.3 + 370
 - 3. 15.127 + 3.4 + .0091 + 236.87
 - 4. 195.7 + 83 + 9.006
 - 5. .5280 + 435 + 179.50 + 1.9

e.		ve the following word problems. Show your work in the spaces vided. Write your answers on the blanks.
	1.	Motoaki earned \$22.50 in tips, and Maria earned \$16.50. How much did they earn together?
		Total amount earned =
	2.	For a typical dinner of four, entrees cost \$54.65, drinks cost \$16.30, and the tax is \$3.38. What is the total cost of the dinner?
		Total cost =
	3.	Octavia worked four days on a certain project. She worked 6.8 hours Monday, 7.4 hours Tuesday, 5.3 hours Wednesday, and 4.4 hours Thursday. How many total hours did she work?
		Total hours worked =
	4.	Frank was cleaning out the storage bin. He found three partially used bottles of solvent, each containing the following amounts: 6.7 liters, 12.0 liters, and .5 liters. How many total liters of solvent were stored?
		Total liters of solvent =
	5.	In one month, a restaurant budget has the following expenses: food costs, \$286.96; taxes, \$142.37; electric bill, \$160.16; telephone, \$116.27; and labor, \$15,312.50. What was the restaurant's total monthly expenditure?
		Total monthly expense =

		ippiement
Objective 27	Assignment Sheet 11—Subtract Decimal N	umbers
	Name Overall Rating]
	Date	
	Evaluation Criteria	Rating
	Completed all problems and showed work	
	Labeled answers with correct unit of measurement	
	Computed a minimum of 12 of the 15 answers correctly per Assignment Sheet 11 answers	
Basic Skills	Reading Mathematics	
Directions	Solve the following decimal subtraction problems.	
	 Set up each of the following problems in column form. Subtyour work. Remember, when you subtract decimals, the must be aligned. 	
	1. 868.87 – 516.89 =	
	2. 567 – 19.856 =	
	3. 198 – 56.987 =	
	4. 567.94 – 59.78 =	
	5. \$815.23 – \$65.98 =	

Т

	6.	\$20.03 - \$15.88 =	
	7.	694.7 – 24.3 =	
	8.	5,000 - 892.66 =	
	9.	\$15 – \$12.53 =	
	10.	\$219.30 – \$21.85 =_	
 Solve the following word problems. Show your work in the sp provided. Write your answers on the blanks. 			
	1.		eived \$8438.64 in December, and paid out low much profit did the restaurant make?
	2.	much longer will it take	finish a job. Sean has worked 6 hours. How him to finish the job? n job =

3.	A length of rubber tubing 6.14 centimeters long was cut from a tube 8.98 centimeters in length. How much tubing was left?
	Centimeters of tubing left =
4.	A water cooler holds 49.2 liters of water. After a day, workers have drunk 8.7 liters. How much water is left in the cooler?
	Liters of water in cooler =
5.	You have a square pizza with a length of 27.5 inches, but the pan it's to be baked in is 55 inches long. How many more inches must the pizza dough be to fill the pan?
	Inches =

	Suppleme	nt
Objective 29	Assignment Sheet 12—Multiply Decimal Numbers	
	Name Overall Rating	
	Date	
	Evaluation Criteria Rating	ī
	Completed all problems and showed work	-
	Labeled answers with correct unit of measurement	-
	Computed a minimum of 16 of the 18 answers correctly per Assignment Sheet 12 answers	-
Basic Skills	Reading Mathematics	
Directions	Solve the following decimal multiplication problems.	
	Example: 16.11 2 Decimal Places <u>x 2.2</u> 1 Decimal Place 3222	
	<u>3222</u> 35.422 3 Decimal Places in Answer	
	a. Set up each of the following problems in column form and multiply. Loca the decimal point in the answer.	ate
	1. 2.64 x 3.1 =	
	2. 120 x 0.33 =	
	3. 2.25 x 0.51 =	
	4. 35 x 8.5 =	
	5. 26.4 x 3.8 =	

	6.	7.02 x 0.92 =	
	7.	0.83 x 0.55 =	
	8.	28.2 x 0.9 =	
	9.	0.069 x 0.01 =	
	10.	7.52 x 3.01 =	
b.		olve the following word problems. Show your work in the spaces rovided. Write your answers on the blanks.	
	1.	A set of pots and pans is placed on sale for 25 percent off. By what amount is the price reduced if the regular price is \$1349.80?	
		✓ Note: Twenty-five percent is the same as the decimal .25.	
		Price reduction =	
	2.	Price reduction = The average amount of a customer ticket is \$41.25. During the month, the waiter handles 150 tickets. What is the average monthly amount?	
	2.	The average amount of a customer ticket is \$41.25. During the month, the waiter handles 150 tickets. What is the average monthly	
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	2.	The average amount of a customer ticket is \$41.25. During the month, the waiter handles 150 tickets. What is the average monthly amount?	

	Sup	plement
Objective 31	Assignment Sheet 13—Divide Decimal Num	bers
	Name Overall Rating _ Date	
	 Evaluation Criteria Completed all problems and showed work Labeled answers with correct unit of measurement Computed a minimum of 13 of the 15 answers correctly per Assignment Sheet 13 answers 	Rating
Basic Skills	Reading Mathematics	
Directions	Solve the following decimal division problems. a. Set up each of the following problems in column form and mult the decimal point in the answer. 1. $4.5 \div 0.5 =$ 2. $4.96 \div 0.4 =$ 3. $19.8 \div 0.6 =$ 4. $10.71 \div 0.07 =$ 5. $0.225 \div 0.15 =$	tiply. Locate

	6.	1.7608 ÷ 0.0062 =
	7.	0.48 ÷ 0.6 =
	8.	0.125 ÷ 0.25 =
	9.	0.9 ÷ 0.003 =
	10.	1.16 ÷ 2.9 =
b.	b. Solve the following word problems. Show your work in the spaces provided. Write your answers on the blanks.	
	1.	What is the approximate cost per steak if the cost of twelve steaks is \$103.68?
		Approximate cost =
	2.	How many hours did Jana work if she was paid a total of \$681.75 at the rate of \$22.50 per hour?
		Total hours =
	3.	How many jobs can be completed in 21.12 hours if the average job takes .066 hours?
		Number of jobs =

4.	Curt spent \$172.80 for equipment. What was the cost per piece if he bought eight pieces of equally priced equipment? Cost per piece =
5.	A shipment of 114 identical tables has arrived at Mr. Kinski's shop. Mr. Kinski pays the carrier \$544.98 for all of them. How much does 1 table cost? Cost of 1 table =

					Basic Ma	th Skills
					Sup	plement
Objective 33		Assigi		eet 14—Cor Percentage	overt Fraction	S
					Overall Rating _	
	LabeComplexity	oleted all led answ outed a r	l problems and vers with corre ninimum of 54	d showed work ct unit of measu of the 60 answe neet 14 answers	ers	Rating
Basic Skills	Reading		Mathematics			
Directions	Solve the	convers	ion problems.			
	a. Exp	ress eac	h of the follow	ving fractions as	a decimal.	
	1.	1/8 =				
	2.	¹ /4 =				
	3.	¹ /2 =				
	4.	3/4 =				
	5.	⁵ /8 =				
	6.	¹ /16 =				
	7.	³ / ₃₂ =				
	8.	7/8 =				
	9.					
	10.					

b.	Exp	ress each	of the follow	ving fractions as a percer	ntage.	
	1.	1/4 = _				
	2.	1/2 = _				
	3.	7/10 = _				
	4.	3/4 =				
	5.	² / ₂ = _				
	6.	¹ /10 = _				
	7.	7/8 = _				
	8.	⁵ /10 = _				
	9.	¹ /3 = _				
	10.	5/8 =				
	-	/0				
C.	Mat	tch the de	cimal numb	bers on the right with the the transformer on the blanks.	neir corr	ect equivalent
C.	Mat frac	tch the de	ecimal numb e the correc	pers on the right with th	neir corr a.	rect equivalent 7.083
C.	Mat frac	tch the de tions. Writ	ecimal numb e the correc	pers on the right with th		7.083
C.	Mat frac	tch the de tions. Write 1. 2.	ecimal numb e the correc 5 ^{6/} 10	pers on the right with th	a.	7.083 5.006
C.	Mat frac	tch the de tions. Write 1. 2.	ecimal numb e the correc 5 ⁶ /10 1 ² /100 ⁸⁷ /1000	pers on the right with th	a. b. c.	7.083 5.006
C.	Mat frac	tch the de tions. Write 1. 2. 3.	ecimal numb e the correc 5 ⁶ /10 1 ² /100 ⁸⁷ /1000	pers on the right with th	a. b. c.	7.083 5.006 78.3
C.	Mat frac	tch the de tions. Write 1. 2. 3. 4.	ecimal numb e the correc 5 ⁶ /10 1 ² /100 ⁸⁷ /1000 7 ⁸³ /1000	pers on the right with th	a. b. c. d.	7.083 5.006 78.3 0.087
C.	Mat frac	tch the de tions. Write 1. 2. 3. 3. 4. 5.	ecimal numb e the correc 5 ⁶ /10 1 ² /100 ⁸⁷ /1000 7 ⁸³ /1000 5 ⁶ /100	pers on the right with th	a. b. c. d. e.	7.083 5.006 78.3 0.087 0.783
C.	Mat frac	the de tions. Write 1. 2. 3. 4. 5. 6.	ecimal numb e the correct 5 ⁶ /10 1 ² /100 ⁸⁷ /1000 7 ⁸³ /1000 5 ⁶ /100 5 ⁶ /1000	pers on the right with th	a. b. c. d. e. f.	7.083 5.006 78.3 0.087 0.783 87.7
C.	Mat frac	the de tions. Write 1. 2. 3. 4. 5. 6. 7.	ecimal numb e the correc 5 ⁶ /10 1 ² /100 ⁸⁷ /1000 7 ⁸³ /1000 5 ⁶ /1000 5 ⁶ /1000 78 ³ /10	pers on the right with th	a. b. c. d. e. f. g.	7.083 5.006 78.3 0.087 0.783 87.7 5.6

d.	Write	decimal equivalents for each of the following fractions.
	1.	63 ⁹ /10 =
	2.	5 93/100 =
	3.	5 93/1000 =
	4.	5 93/10000
	5.	3 825/1000 =
	6.	38 95/100 =
	7.	38 95/1000 =
	8.	42 ³ /10 =
	9.	402 ³ /10 =
	10.	897 97/100000 =
e.		ss each of the following percentages as a fraction. Reduce to the terms.
	1.	50% =
	2.	25% =
	3.	33 ¹ / ₃ % =
	4.	36%
	5.	28% =
	6.	14 2/7% =
	7.	21% =
	8.	75% =
	9.	66 ² /3% =
	10.	70% =

f. Express each of the following percentages as a decimal.

- 1. 47% = _____
- 2. 15% = _____
- 3. 33.3% = _____
- 4. 62% _____
- 5. 75% = _____
- 6. 3% =
- 7. 16.8% =_____
- 8. 9% = _____
- 9. 10% = _____
- 10. 50% = _____

Basic Math Skills

	Supple	ement
Objective 35	Assignment Sheet 15—Solve Percentage Proble	ems
	Name Overall Rating	
	Date	
		Rating
Basic Skills	Reading Mathematics	
Directions	Calculate the answer to the following percentage problems. a. What does it mean to say 100 percent of the work is completed?	?
	b. There are usually 100 kitchen tools in the preparation area. Fo them are missing.	urteen of
	What percent of the tools is missing?	
	c. If 14 of the kitchen tools are missing in the above problem, how present?	many are
	What percent is present?	
	 d. There are 100 boxes in a carton. Twenty-five boxes are what p the boxes in the carton? 	
	e. There are 100 orders in process. Ninety-four have been co What percent of the orders have been completed?	
	f. If 94 of the orders in the above problem have been completed, h have not been?	
	What percent has not been completed?	

g.	If 11 percent of the students in a school are absent, what percent are
	present?
h.	If 6 percent of the cookies that a store had in stock were not sold, what
	percent were sold?
i.	If 60 percent of the chefs in town had assistants, what percent did
	not have assistants?
j.	Bill has a set of kitchen tools. Ten percent of his tools are a year old,
	and 40 percent are over a year old. What percent are less than a year old?
k.	Nicole has three types of spatulas-metal, rubber, and plastic. Eighty
	percent of her spatulas are metal, and 15 percent are plastic. What
	percent are rubber?
I.	The Clarks spent 22 percent of their income for their business: 17 percent
	for tools, 15 percent for work clothes, and 8 percent for overhead. What
	percent was left for other things?
m.	Hyun-lee has finished 75 percent of the job he is doing. What percent
	does he still have to do?
n.	Marie has completed 40 percent of her training. What percent does she
	still have to do?
0.	If you were told to complete 93 percent of the work, what percent would
	be left?

p.	Sol	ve each of the following percentage problems.
	1.	3% of 72 is what number?
	2.	5% of 18 is what number?
	3.	What number is 33 ¹ / ₃ % of 96?
	4.	40% of 125 is what number?
	5.	68% of 63.5 is what number?
	6.	What number is 12 1/2% of 140.8?
	7.	What number is 1% of 103?
	8.	What number is 37 ¹ /2% of 152?
	9.	50% of 32.8 is what number?
	10.	7% of 163 is what number?
q.	Sol	ve the following percentage word problems.
	1.	There are 20 students in a class. Sixty percent of the students are
		boys. How many are boys
	2.	One day 5 percent of the 20 students in Mr. Washington's class
		made perfect time completing a job. How many students made
		perfect time?
	3.	Chef McGill bought a new power mixer-regularly selling for
		\$120-at a sale and saved 20 percent. How much money did he
		save?
	4.	The number of waitstaff at the meeting this year was 75 percent
		of what it was last week. Last year there were 800 waitstaff at the
		meeting. How many waitstaff were at the meeting this year?

Supplement	
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						Supplei
		Ans	wer	s to Assi	gnmo	ent Sheets
Assignment Sheet 1	Add \	Whole Number	s			
	a.					
	1. 2. 3. 4.	11 16 13 23	5. 6. 7. 8.	108 88 242 1,538	9. 10.	1,197 16,430
	b.					
	1. 2. 3. 4.	20 84 1135 \$609	5. 6. 7. 8.	86 53 31 423	9. 10.	282 108
Assignment Sheet 2	Subtr	act Whole Nur	nber	S		
211661 2	a.					
	1. 2. 3. 4.	4 7 53 406	5. 6. 7. 8.	424 283 1,175 1,810	9. 10.	51,450 89,722
	b.					
	1. 2. 3.	126 12 23	4. 5. 6.	948 38 142	7. 8. 9.	210 8 123
	10.	Week 1 = 780 Week 2 = 108 Week 3 = 198 Week 4 = 108 Week 5 = 193	89 km 88 km 89 km	1		
Assignment	Multi	oly Whole Num	bers	6		
Sheet 3	a.					
	1. 2. 3. 4.	42 72 324 2,884	5. 6. 7. 8.	8,410 2,028 21,291 165,478	9. 10.	503,605 5,458,852
	I					

	b.							
	1. 2. 3. 4.	32 96 3,000 24	5. 6. 7. 8.	128 \$348 315 135	9. 10.	1,440 15,042		
Assignment	Divid	e Whole Num	oers					
Sheet 4	a.							
	1. 2. 3. 4.	4 8 91 312	5. 6. 7. 8.	3 3 62, R4 2, R97	9. 10.	1, R365 3, R634		
	b.							
	1. 2.	11 \$22	3. 4.	104 23	5. 6.	\$936 33		
Assignment	Redu	ce Fractions t	o Lov	west Terms	i			
Sheet 5	a. b. c. d.	1/2 1/2 1 1/4	e. f. g. h.	1/4 3/ ₈ 1/2 1/2	i. j.	3/4 1/2		
Assignment	Conv	ert Fractions a	and M	lixed Numl	oers			
Sheet 6	a.							
	1. 2. 3. 4.	P M I M	5. 6. 7. 8.	P I I M	9. 10. 11. 12.	l M M I	13. 14. 15.	I P M
	b.							
	b. 1. 2. 3. 4. c. 1. 2. 3. 4.	13/ ₄ 9/ ₂ 31/ ₄ 17/ ₂	5. 6. 7. 8.	49/8 11/2 17/4 17/2	9. 10.	37/4 33/2		
	C.							
	1. 2. 3. 4.	1 3/4 4 1/2 1 1/2 1 7/8	5. 6. 7. 8.	1 ³ /16 1 ³ /8 2 ¹¹ /32 2 ¹ /2	9. 10.	3 ^{3/4} 2 ¹ /16		

			AI	SWEI:	5 IU A33	y
Assignment Sheet 7	Add Fractions					
	a.					
	$ \begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	5. 6. 7. 8.	1 ³ /16 ²⁵ / ₃₂ ²⁹ / ₃₂ 1 ¹ /4	9. 10.	1 ⁵ /16 1 ²⁵ /32	
	b.					
	1. 14 ³ /4 2. 7 ³ /4 3. 7 ³ /16 4. 19 ⁵ /8	5. 6. 7. 8.	13 ¹ /16 60 ¹ /16 6 ¹³ /16 3 ¹ /4	9.	17 ¹ /16	
Assignment	Subtract Fractions	5				
Sheet 8	a.					
	1. ^{9/16} 2. ⁵ /8 3. ³ /16 4. ⁵ /32	5. 6. 7. 8.	3/4 9/16 1/16 3/8	9. 10.	17/ ₃₂ 1/ ₂	
	b.					
	1. 3 ¹ /4 2. 6 ¹ /16 3. 31 ¹⁹ /32	4. 5.	174 ¹ /5 11 ³ /64			
	с.					
	1. $\frac{2}{3}$ 2. $1\frac{5}{8}$ 3. $8\frac{1}{8}$ 4. $1\frac{11}{32}$	5. 6. 7. 8.	25 ^{11/} 16 7 ¹ /4 ^{9/16} 1 ¹ /16	9. 10.	^{2/3} 38 ⁹ /16	
	d.					
	2. $1 \frac{5}{8}$ 3. $8 \frac{1}{8}$ 4. $1 \frac{11}{32}$ d. 1. $\frac{2}{5}$ 2. $49 \frac{15}{16}$ 3. $5 \frac{2}{3}$ 4. $9 \frac{1}{2}$ e. 1. $\frac{1}{8}$ 2. $\frac{3}{4}$ 3. $2 \frac{7}{8}$	5. 6. 7. 8.	27 ¹ /8 2 ¹ /4 2 ¹ /8 3 ⁵ /16	9. 10.	2 ¹ /2 3 ³ /16	
	е.					
	1. ¹ /8 2. ³ /4 3. 2 ⁷ /8	4. 5. 6.	10 1 ³ /8 6 ¹¹ /20	7. 8.	3 ³ /4 8 ⁵ /8	

a.					
			¹⁵ /128	7. 8.	
b.					
		-	and		
Add [Decimal Num	bers			
a.					
	Ten thousand	dths	hs		
b.					
1. 2. 3. 4. 5.	Tenths				
C.					
1. 2. 3. 4. 5. 6. 7.	46.3 <u>8</u> 26 35.003 <u>8</u> 148. <u>2</u> 96 6758.2 <u>3</u> 91.40 <u>8</u> 2 2 <u>0</u> 4.37 1 <u>4</u> .0079	8. 9. 11. 12. 13. 14.	208.0 <u>9</u> 7 5.23 <u>9</u> 81 502. <u>9</u> 67 5230.86 <u>7</u> 58 <u>7</u> .029 0.2 <u>9</u> 8 3 <u>2</u> 9.768	15. 16. 17. 18. 119. 20.	52.69 <u>4</u> 498. <u>2</u> 76 0.529 <u>6</u> <u>4</u> 68.539 324. <u>0</u> 6 56 <u>7</u> .8
	2. 3. b. 1. 2. 3. Add E a. 1. 2. 3. 4. 5. b. 1. 2. 3. 4. 5. c. 1. 2. 3. 4. 5. c. 1. 2. 3. 4. 5. c. 6.	2. 3 ³ /8 3. ⁷ /12 b. 1. ¹ /4 gallon 2. 74 chocolate 3. 4 ¹ /3 feet of re Add Decimal Numb a. 1. Tenths 2. Hundredths 3. Hundred thou 4. Ten thousand 5. Thousandths b. 1. Hundredths 2. Ten thousand 3. Tenths 4. Thousandths 5. Hundredths 6. Units 7. Ten thousand 7. Ten th	2. $3 \frac{3}{8}$ 5. 3. $7/12$ 6. b. 1. $1/4$ gallon 2. 74 chocolate chips 3. $4^{1}/3$ feet of red garls Add Decimal Numbers a. 1. Tenths 2. Hundredths 3. Hundred thousandth 4. Ten thousandths 5. Thousandths 5. Thousandths 6. b. 1. Hundredths 2. Ten thousandths 3. Tenths 4. Thousandths 5. Hundredths 2. Ten thousandths 3. Tenths 4. Thousandths 5. Hundredths 2. Stool 8. 2. 35.0038 9. 3. 148.296 10. 4. 6758.23 11. 5. 91.4082 12. 6. 204.37 13.	2. $3 \frac{3}{8}$ 5. $\frac{15}{128}$ 3. $7/12$ 6. $3 \frac{1}{4}$ b. 1. $\frac{1}{4}$ gallon 2. 74 chocolate chips 3. $4^{1}/_{3}$ feet of red garland Add Decimal Numbers a. 1. Tenths 2. Hundredths 3. Hundred thousandths 4. Ten thousandths 5. Thousandths 5. Thousandths 5. Thousandths 6. 1. Hundredths 2. Ten thousandths 3. Tenths 4. Thousandths 5. Hundredths 5. Hundredths 6. 1. 46.3826 8. 208.097 2. 35.0038 9. 5.23981 3. 148.296 10. 502.967 4. 6758.23 11. 5230.867 5. 91.4082 12. 587.029 6. 204.37 13. 0.298	2. $3 \frac{3}{8}$ 5. $\frac{15}{128}$ 8. 3. $\frac{7}{12}$ 6. $3 \frac{1}{4}$ b. 1. $\frac{1}{4}$ gallon 2. $\frac{74}{4}$ chocolate chips 3. $\frac{41}{3}$ feet of red garland Add Decimal Numbers a. 1. Tenths 2. Hundredths 3. Hundred thousandths 4. Ten thousandths 5. Thousandths 5. Thousandths 5. Thousandths 6. 1. Hundredths 2. Ten thousandths 3. Tenths 4. Thousandths 5. Hundredths 5. Hundredths 6. 7. 1. $\frac{46.3826}{1.0}$ 8. $\frac{208.097}{1.5}$ 2. $\frac{35.0038}{1.0}$ 9. 5.23981 16. 3. 148.296 10. 502.967 17. 4. 6758.23 11. 5230.867 18. 5. 91.4082 12. 587.029 119. 6. 204.37 13. 0.298 20.

	d.					
	1.	0.024 <u>+ 0.165</u> 0.189			2.	87.3 <u>+ 370.0</u> 457.3
	3.	15.1270 03.4000 00.0091 <u>+ 236.8700</u> 255.4061			4.	195.700 83.000 <u>+ 9.006</u> 287.706
	5.	000.5280 435.0000 179.5000 <u>+ 001.9000</u> 616.9280				
	e.					
	1. 2. 3.	\$39.00 \$74.33 23.9	4. 5.	20.1 \$16,018.26	6	
Assignment Sheet 11	Subtr	act Decimal N	lumbo	ers		
	a.					
	1. 2.		5. 6.	\$749.25 \$4.15	9. 10.	\$2.47 \$197.45
	3. 4.	141.013 508.16	7. 8.	670.4 4,107.34		•
	1			670.4		
	4.	508.16 \$3317.32 14.5		670.4		
Assignment	4. b. 1. 2. 3.	508.16 \$3317.32 14.5	8. 4. 5.	670.4 4,107.34 40.5 27.5		
Assignment Sheet 12	4. b. 1. 2. 3.	508.16 \$3317.32 14.5 2.84	8. 4. 5.	670.4 4,107.34 40.5 27.5		• • •
	4. b. 1. 2. 3. Multij a. 1. 2.	508.16 \$3317.32 14.5 2.84 ply Decimal N 8.184	8. 4. 5.	670.4 4,107.34 40.5 27.5 ers 100.32 6.4584 0.4565	9. 10.	0.00069 22.6352

	b. 1. 2.	\$337.45 \$6187.50				
Assignment Sheet 13	Divide	e Decimal Num	nbers	6		
311661 13	a.					
	1. 2. 3. 4.	9 12.4 33 153	5. 6. 7. 8.		9. 10.	300 .04
	b.					
	1. 2. 3.	\$8.64 30.3 32	4. 5.	\$21.60 \$4.78		
Assignment	Conv	ert Fractions a	nd P	ercentages		
Sheet 14	a.					
	1. 2. 3. 4.	0.125 0.25 0.5 0.75	5. 6. 7. 8.		9. 10.	0.5625 0.9375
	b.					
	1. 2. 3. 4.	25% 50% 70% 75%	5. 6. 7. 8.	100% 10% 87.5% 50%	9. 10.	33.3% 62.5%
	c.					
	1. 2. 3. 4.	g j d a	5. 6. 7. 8.	i b c f	9. 10.	h e
	d.					
	1. 2. 3. 4.	63.9 5.93 5.093 5.0093	5. 6. 7. 8.	3.825 38.95 38.095 42.3	9. 10.	402.3 897.00097

	e.										
	1. 2. 3. 4. f.	1/2 1/4 1/3 9/25		5. 6. 7. 8.	7/28 1/7 21/- 3/4	100	9. 10.				
	1. 2. 3. 4.	.47 .15 .333 .62	3	5. 6. 7. 8.	.75 .03 .16 .09	8	9. 10.				
Assignment	Solve	Per	centage P	roble	ems						
Sheet 15	a. b. c. d. e.	14% 86,	86% %, 5%	leteo	k	f. g. h. i. j.	6, 6% 89% 94% 40% 50%		k. I. m. n. o.	5% 38% 25% 60% 7%	
	p.	1. 2. 3. 4.	2.16 0.9 32 50		5. 6. 7. 8.	43.1 17.6 1.03 57	6	9. 10.	16.4 11.41		
	q.	1. 2. 3. 4.	12 1 \$24.00 600								

						Supplement
			F	Practice Test		
	Name					
	Date					Score
Objective 1	Match the	terms with their	corr	rect definitions.		
	3. Mete 4. Liter	olication r action	7. 8.	Whole number (integer) Addition Fraction Ratio	11. 12.	Division
	a.	Process of tota called a sum	alinę	g two or more num	bers to	o find another number
	b.			nwritten denominato		or some power of 10;
	C.	Any one of the expressed	e ter	n symbols, 0 to 9, I	oy whic	ch all numbers can be
	d.	Opposite (inve	rse)	operation of multip	licatior	I
	e.	Part of a whole	e; re	presents one or mo	ore equ	al parts of a unit
	f.	Any of the na represents a c			positiv	e and negative, that
	g.	Abbreviated p number of time		ess of adding a r	umber	to itself a specified
	h.	Metric unit use	d to	measure capacity		
	i.	One part in a into one hundr			the ba	sis of a whole divided
	j.	Metric unit use	d to	measure length		
	k.	Being relatively	y eq	jual in size or quant	ity	
	I.	Relationship ir things.	n qı	uantity, amount, or	size t	between two or more
	m.	Opposite (inve	rse)	operation of addition	on	

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Basic Math Skills

Objective 2	Match symbols used in basic math with their correct names. Write the correct numbers in the blanks.
	1. . 5.) 9. \div 2. π 6. = 10. + 3. % 7. x + 4. : 8. - -
	a. Plus sign (addition)
	b. Pi sign
	c. Equal sign
	d. Division frame
	e. Ratio symbol
	f. Minus sign (subtraction)
	g. Percent symbol
	h. Times sign (multiplication)
	i. Decimal point
	j. Division sign
Objective 3	Label the place values in the whole number below.
	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$

Objective 4	Add whole numbers to solve the following problems.
	a. 2 b. 5 c. 12 d. 142 e. 2345 <u>+ 9</u> 7 17 759 9764 <u>+ 8</u> <u>+ 99</u> <u>+ 896</u> <u>+ 8976</u>
Objective 6	Subtract whole numbers to solve the following problems. a. 9 b. 35 c. 481 d. 684 e. 9867 <u>-7 -9 -79 -342 -8748</u>
Objective 8	Multiply whole numbers to solve the following problems.
	a. 7 b. 68 c. 735 d. 649 e. 8673 <u>x.5 x.9 x.68 x537 x.642</u>
Objective 10	Divide whole numbers to solve the following problems.
	a. 4)48 b. 16)64 c. 38)608
	d. 421)842 e. 317)4569 f. 530)80960
Objective 12	Distinguish among types of fractions. Write a "P" in the blanks before the proper fractions, an "I" before improper fractions, and an "M" before mixed numbers.
	a. ¹ / ₂ e. 5 ³ / ₁₆ i. ¹ / ₄
	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$
	$g = \frac{c}{15.3}$ $g = \frac{c}{10}$
	u. 10 % 11. 0 %

Objective 13	Reduce the following fractions to lowest terms. Write your answers in the blanks.
	a. ⁴ /8 e. ¹² / ₃₂ i. ¹² / ₁₆
	b. ⁸ /16 f. ⁴ /16 j. ³¹ /32
	c. ⁷ / ₁₆ g. ² / ₁₆
	d. ⁸ /32 h. ⁸ /64
Objective 15	Convert the following fractions and mixed numbers.
	 Convert to improper fractions. Reduce to lowest terms if possible. Write your answers in the blanks.
	(1) 3 ¹ / ₂
	(2) 4 ² / ₄
	(3) 3 ⁶ / ₈
	(4) 12 ⁴ /8
	(5) 13 ¹³ / ₃₂
	 b. Convert the following improper fractions to mixed numbers. Reduce answers to lowest terms. Write your answers in the blanks.
	(1) ⁴⁷ / ₈
	(2) ²¹ / ₉
	(3) ¹⁰⁸ / ₂₃
	(4) 54/5
	(5) 112/7
	(3) (12/7
	Add fractions to solve the following problems. Convert to mixed numbers if necessary, and reduce to lowest terms. Write your answers in the blanks.
	Add fractions to solve the following problems. Convert to mixed numbers if necessary, and reduce to lowest terms. Write your answers in the blanks.
	Add fractions to solve the following problems. Convert to mixed numbers if necessary, and reduce to lowest terms. Write your answers in the blanks.
	Add fractions to solve the following problems. Convert to mixed numbers if

Objective 19	Subtract fractions to solve the following problems. Reduce to lowest terms. Write your answers in the blanks.
	a. ⁴ / ₈ - ³ / ₈ e. ³ / ₈ - ¹ / ₈ i. 9 ² / ₄ - 4 ¹ / ₂
	b. ⁶ / ₈ - ² / ₈ f. ¹⁴ / ₁₆ - ⁷ / ₈ j. 12 ⁶ / ₈ - ⁷¹ / ₈
	c. $\frac{9}{16} - \frac{4}{16}$ g. $2\frac{3}{4} - 1\frac{1}{4}$
	d. ³ / ₈ - ¹ / ₄ h. 6 ¹ / ₈ - 2 ¹ / ₂
Objective 21	Multiply fractions to solve the following problems. Reduce to lowest terms. Write your answers in the blanks.
	a. $\frac{1}{2} \times \frac{3}{4}$ e. $6 \frac{3}{4} \times 8 \frac{3}{4}$
	b. ³ /4 x ³ /8 f. 7 ¹ /8 x 1 ¹ /2
	c. $^{3/2} x^{1/6}$ g. $^{77/16} x 5$
	d. ³ /4 x 6 ¹ /2
Objective 23	Label the place values in the decimal number below.
	0.0 8 7 1 6 4 <

Objective 24	Add decimal numbers to solve the following problems. Set up each problem and show your work. Write your answers in the blanks.
	a. 3.5 + 5.1 + 7
	b. 3.4 + 0.206 + 1.74
	c. \$6.86 + \$5.05 + \$7.90 + \$.82
	d. 57.78 + 0.22 + 0.003 + 74
	e. 6319 + 95.12 + 0.0713 + 321.07
Objective 26	Subtract decimal numbers to solve the following problems. Set up each problem and show your work. Write your answers in the blanks.
	a. \$6.10 – \$2.20
	b. \$5.40 – \$2.32
	c. \$7.38 – \$.63
	d. 0.835325 – 0.25
	e. 0.609375 – 0.359375

Objective 28	Multiply decimal numbers to solve the following problems. Set up each problem and show your work. Write your answers in the blanks.
	a. 2.6 x 4.7
	b. 0.119 x 0.05
	c. 0 x 0.08
	d. 7.392 x 92.07
	e. 9.5 x 0.76
Objective 30	Divide decimal numbers to solve the following problems. Set up each problem and show your work. Write your answers in the blanks.
	a. 5.32 ÷ 0.4
	b. 83.4 ÷ 0.6
	c. 7.75 ÷ 0.25
	d. 0.921 ÷ 0.3
	e. 0.0225 ÷ 0.15
	f. 24 ÷ 0.2
	g. 54 ÷ 0.09

	h. 63 ÷ 0.007
	i. 812 ÷ 0.058
	j. 4125 ÷ 0.040
Objective 32	a. Convert the following decimal fractions to common fractions. Write your answers in the blanks.
	(1) .6
	(2) .55
	(3) .09
	(4) .650
	(5) .925
	 b. Convert the following percentages to fractions and decimal numbers. Write your answers in the blanks.
	<u>Fraction</u> <u>Decimal</u>
	(1) 12%
	(2) 30%
	(3) 45%
	(4) 72%
	(5) 250%

Objective 34	Solve the following pe	rcentage problems. Write	e your answers in the blanks.
		ger paid a cook \$150, w n more money would the	hich is 87 percent of the salar cook have coming?
		ent of the dishes for a l I be left of the 2100 store	restaurant are stolen, how ma ed in the facility?
		ger bought \$24,000 wor what was the percentage	th of equipment and sold it f of profit?
bjective 36	Match metric prefixes 1. kilo- (k) 2. deka- (da)	with their values. Write th 3. hecto- (h) 4. centi- (c)	e correct numbers in the blank 5. milli- (m) 6. deci- (d)
bjective 36	1. kilo- (k)	3. hecto- (h)	
ojective 36	1. kilo- (k) 2. deka- (da)	3. hecto- (h)	5. milli- (m)
ojective 36	1. kilo- (k) 2. deka- (da) a. 100 b. ¹ /1000 c. ¹ /100	3. hecto- (h)	5. milli- (m)
ojective 36	1. kilo- (k) 2. deka- (da) a. 100 b. ¹ /1000	3. hecto- (h)	5. milli- (m)

Objective 37	Solve problems about English-Metric conversion charts and how to use Write the correct numbers in the blanks.							
	a. If you knew that the conversion factors were 25.4 and you wanted to convert 12 inches to millimeters, you should:							
	 Divide 25.4 by 12 to get 2.1 millimeters. Multiply 12 by 25.4 to get 304.8 millimeters. 							
	b. If you need to convert meters into feet, you should:							
	 Simply find the conversion factor on an English-metric conversion chart, then multiply the meters by the conversion factor. 							
	Use an English-metric conversion chart to find the conversion factor for feet, then multiply the feet by the conversion factor.							
	c. In cases, the conversion factor should be used to:							
	 Multiply Divide Multiply or divide as the situation requires 							
	*Permission to duplicate this test is granted.							

		Sup	plement
	Answers to Practice Test		
Objective 1	a. 7 e. 8 i. 13 b. 12 f. 6 j. 3 c. 1 g. 2 k. 10 d. 11 h. 4 l. 9	m.	5
Objective 2	a. 10 d. 5 g. 3 b. 2 e. 4 h. 7 c. 6 f. 8 i. 1	j.	9
Objective 3	 a. Millions b. Hundred thousands c. Ten thousands d. Thousands e. Hundreds f. Tens g. Units 		
Objective 4	a. 11 d. 1,797 b. 20 e. 21,085 c. 128		
Objective 6	a. 2 d. 342 b. 26 e. 1,119 c. 402		
Objective 8	a. 35 d. 348,513 b. 612 e. 5,568,066 c. 49,980		
Objective 10	a. 12 d. 2 b. 4 e. 14, R131 c. 16 f. 152, R40		
Objective 12	a. P d. M g. P b. M e. M h. M c. I f. P i. P	j.	Ι
Objective 13	a. $1/2$ d. $1/4$ g. $1/8$ b. $1/2$ e. $3/8$ h. $1/8$ c. $7/16$ f. $1/4$ i. $3/4$	j.	31/ ₃₂

Answers to Practice Test

Objective 15	a.	(1) (2) (3)	7/2 9/2 15/4		(4) (5)	25/ ₂ 429/ ₃₂					
	b.	(1) (2) (3)	5 ⁷ /8 2 ¹ /3 4 ¹⁶ /23		(4) (5)	10 ⁴ /5 16					
Objective 17	a. b. c.	3/4 1 1 ¹ /4		d. e. f.	1 1 1 ¹ /4		g. h. i.	9 ^{3/8} 19 ⁵ /8 12 ³ /4		j.	11 ¹ /4
Objective 19	a. b. c.	1/ ₈ 1/2 ¹⁵ /16		d. e. f.	1/ ₈ 1/ ₄ 0		g. h. i.	1 ¹ /2 3 ⁵ /8 5		j.	5 ⁵ /8
Objective 21	a. b. c. d.	^{3/8} ^{9/32} ^{3/32} 4 ^{7/8}		e. f. g.	59 ^{1/} 10 ¹¹ 24 ^{1/}	/16					
Objective 23	a. b. c. d. e. f.	Hund Thou Ten tl Hund	Tenths Hundredths Thousands Ten thousandths Hundred thousandths Millionths								
Objective 24	a. b. c.	15.6 5.346 \$20.6		d. e.	132.0 6735	003 5.2613					
Objective 26	a. b. c.	\$3.90 \$3.08 \$6.75	3	d. e.	0.58 0.25	5325					
Objective 28	a. b. c.	12.22 0.005 0.72		d. e.	680.9 7.22	58144					
Objective 30	a. b. c.	13.3 139 31		d. e. f.	3.07 0.15 120		g. h. i.	600 9,000 14,000		j.	103,125

Objective 32	a.	(1) (2) (3)	3/5 11/20 9/100		(4) (5)	13/ ₂₀ 37/ ₄₀
	b.	(1) (2) (3)	0.30; ³ /10	D	(4) (5)	
Objective 34	a. b. c.		41 3 dishes ercent			
Objective 36	a. b. c.	3 5 4		d. e. f.	6 2 1	
Objective 37	a. b. c.	2 1 1				



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